

possible topics

interaction of airflow w/ mtns

{ Kelvin waves  
 { trapped density currents

barrier jet

bore

mesoscale eddies e.g.

Cyclone eddy

Denver conv.-vert. zone

Lancaster anticyclone

mountain waves

downslope windstorms

:

→ precip. & orography

SI & CSI

{ HCRs  
 { sea-breeze front, mt.-valley circ.  
 { MCSs

(1)

METR 6413

Advanced mesoscale Meteorology

Emmett (1984) Mesoscale Meteor. or Forecasting  
mesoscale

observations

dynamics

history

Ligda (1951) radar obs. — unlike synoptic - using surface,  
 smaller than synoptic  
 "hot" observed with contemporary obs. systems

radioonde obs

Is mesoscale part of a continuum?

Is mesoscale related to ordered processes → generate

KE on "mesoscale"

dynamics —

normal modes of oscillation?

buoyancy

vertical shear

f

Lagrangian time scale

$$\frac{1000 \text{ km}}{10 \text{ ms}^{-1}} = 10^5 \text{ s day}$$

$$\bar{\tau} = \frac{L}{U}$$

$$\frac{100 \text{ km}}{10 \text{ ms}^{-1}} = \frac{10^5 \text{ m}}{10 \text{ ms}^{-1}} = 10^4 \text{ s hour}$$

$$\frac{1 \text{ km}}{10 \text{ ms}^{-1}} = \frac{10^3 \text{ m}}{10 \text{ ms}^{-1}} = \frac{10 \text{ km}}{10 \text{ ms}^{-1}} = 10^3 \text{ s min}$$

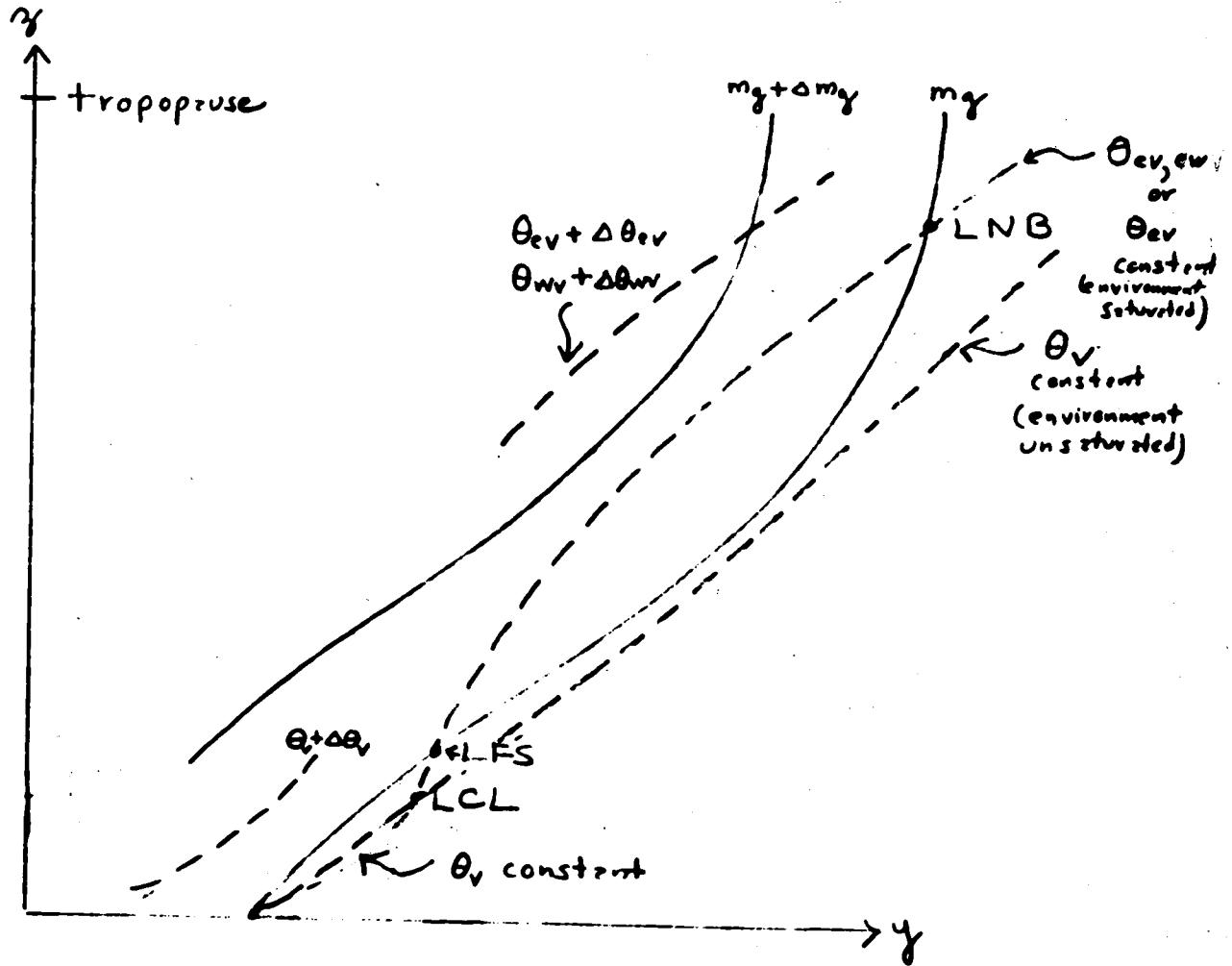
→ instabilities — convection, grow. waves

)  $10^{2-3}$  min

→ forced mesoscale circ. — int. waves

fronts — by bird

$$\bar{\tau} = \frac{10 \text{ km}}{10 \text{ ms}^{-1}} \text{ no wind, but } U \text{ slows down w/ front} \rightarrow \text{semi-gas flow}$$



$\frac{\partial \theta_v}{\partial y} < 0$  baroclinic

$\frac{\partial \theta_v}{\partial z} > 0$  gravitational stability  $\frac{\partial \theta_{ev}}{\partial z}, \frac{\partial \theta_{uv}}{\partial z} > 0$

$\frac{\partial m}{\partial y} < 0$  inertial stability

conditional stability

----- S surface

review pp 339 - 350  
pp 545 - 561 ) vol II

→ relevance to windbreaks in extra cycles  
barriers?

### Conditional symmetric instability

parcel eqns.  $\begin{cases} \frac{\partial V}{\partial t} = -f(m-m_g) \text{ tube} \\ \frac{\partial w}{\partial t} = \frac{g}{s} (\theta' - \theta) \end{cases}$  env.

$$\frac{\partial m}{\partial t} = 0$$

if env. moist,  $\theta \rightarrow \theta_v$   
but  
unsetd.

$\theta' \rightarrow \theta'_v$

if env. sat'd.  $\theta \rightarrow \theta_{ev}$  ( $\theta_{wv}$ )  $\theta' \rightarrow \theta'_{ev}$

if env. unsat'd.  $\theta \rightarrow \theta_v$   $\theta' \rightarrow \theta'_{ev}$

define a sfc along which a tube is neutrally buoyant  $\rightarrow$

$$\frac{\partial m_g}{\partial z} = \frac{\partial m}{\partial z} = 0$$

show fig. & explain

LCL  
LFS  
LNB — neutral  $\frac{\partial T}{\partial z} = 0$   $\theta$  horiz. str. stability

### CSI - conditional symmetric instability

KE needed to lift tube to its LFS?

$$y(z=LFS)$$

$$KE = \int f(m-m_g) dy_s \xleftarrow{\text{along neutral buoyancy sfc!}} y(z=0)$$

restoring force on tube

$$\vec{F} = -f(m-m_g) \hat{j} + \frac{g}{s} (\theta' - \theta) \hat{k}$$

$$\vec{\nabla} \times \vec{F} = \begin{vmatrix} \hat{i} & \hat{j} & \hat{k} \\ \frac{\partial}{\partial x} & \frac{\partial}{\partial y} & \frac{\partial}{\partial z} \\ 0 & -f(m-m_g) & \frac{g}{s} (\theta' - \theta) \end{vmatrix} = \hat{i} \left[ \frac{\partial}{\partial y} \frac{g}{s} (\theta' - \theta) + \frac{\partial}{\partial z} f(m-m_g) \right] - \hat{j} \left[ \frac{\partial}{\partial x} \frac{g}{s} (\theta' - \theta) \right] - \hat{k} \frac{\partial}{\partial x} f(m-m_g)$$

$$\frac{\partial}{\partial x} = 0$$

$\vec{F} = 0 \Rightarrow$   
conservative, integrable  
path indep.

$$y(z=LNB)$$

Define SCAPE =  $\int f(m-mg) dy_s$

destroyed by  
SCAPE in it

$y(z=LFS)$

↓  
slantwise  
convective  
available  
potential  
energy

integral is path independent  $\Rightarrow$

$$\text{in general } \text{SCAPE} = - \int f(m-mg) dy + \int \frac{\partial}{\partial v} (\theta_v^{-1} \theta_{av}) dz$$

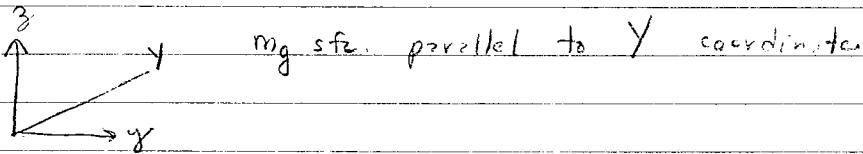
$y(z=LNB)$        $z=LNB$   
 $y(z=LFS)$        $z=LFS$

$$= \int \frac{\partial}{\partial v} (\theta_v^{-1} \theta_{av}) (dz)_{mg}$$

along mg sfc,

$z=LNB$   
 $z=LFS$

$\rightarrow$  note similarity to CAPE in parallel theory of convection!



$$\left( \frac{dz}{dy} \right)_{mg} = \frac{\delta z / \delta y}{\delta v / \delta y}$$

SCAPE  $\equiv$  CAPE in geoc. coord.

barotropic  $\Rightarrow$   $mg, Y$  vertical  $\Rightarrow$  CAPE !

$\rightarrow$  ascertain the susceptibility of atm. to ordinary convection along

the mg sfc to ascertain susceptibility to slantwise

convection

must analyze vertical cross section of  $mg, T, T_d, \theta_v, \theta_{av}$

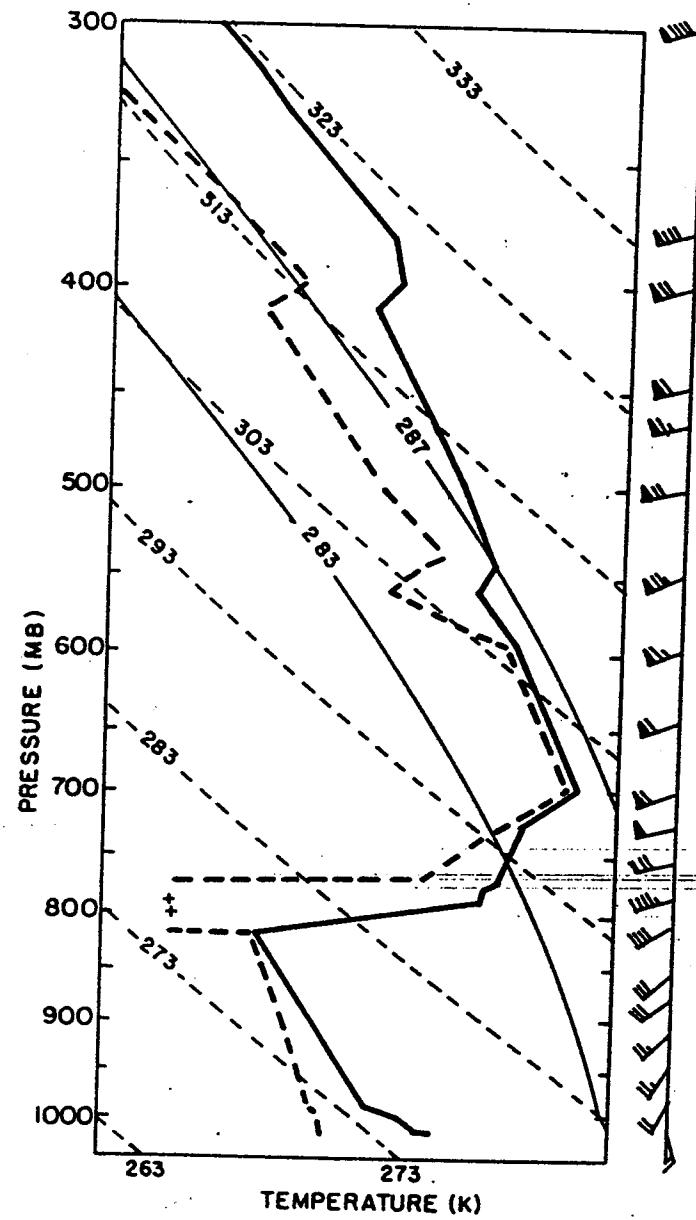
Show figs

reg soundings

X-sections

Soundings  $\rightarrow$  along  $mg$  sfc.

CHH  $\phi \approx$  12/11/82



3.95

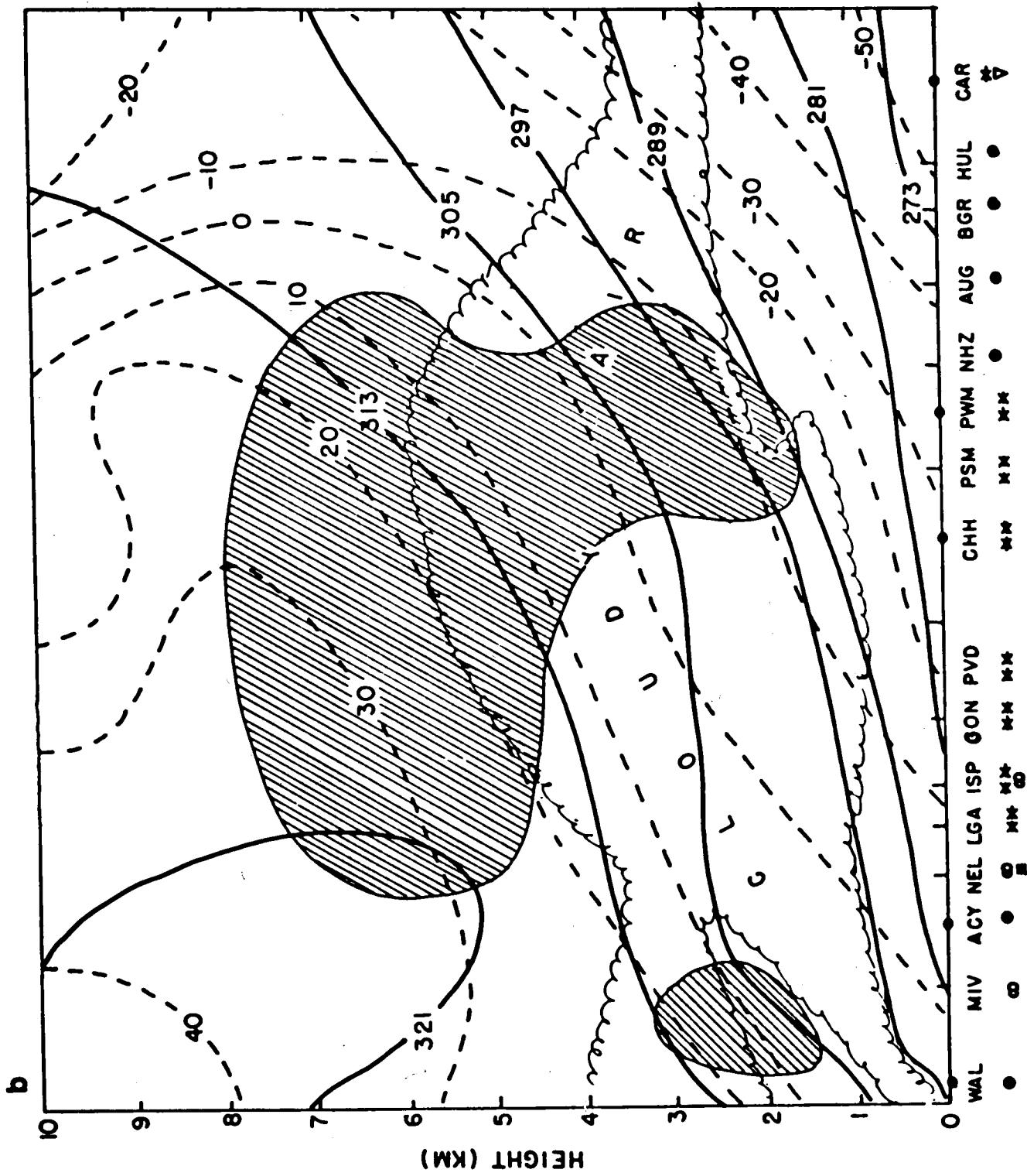
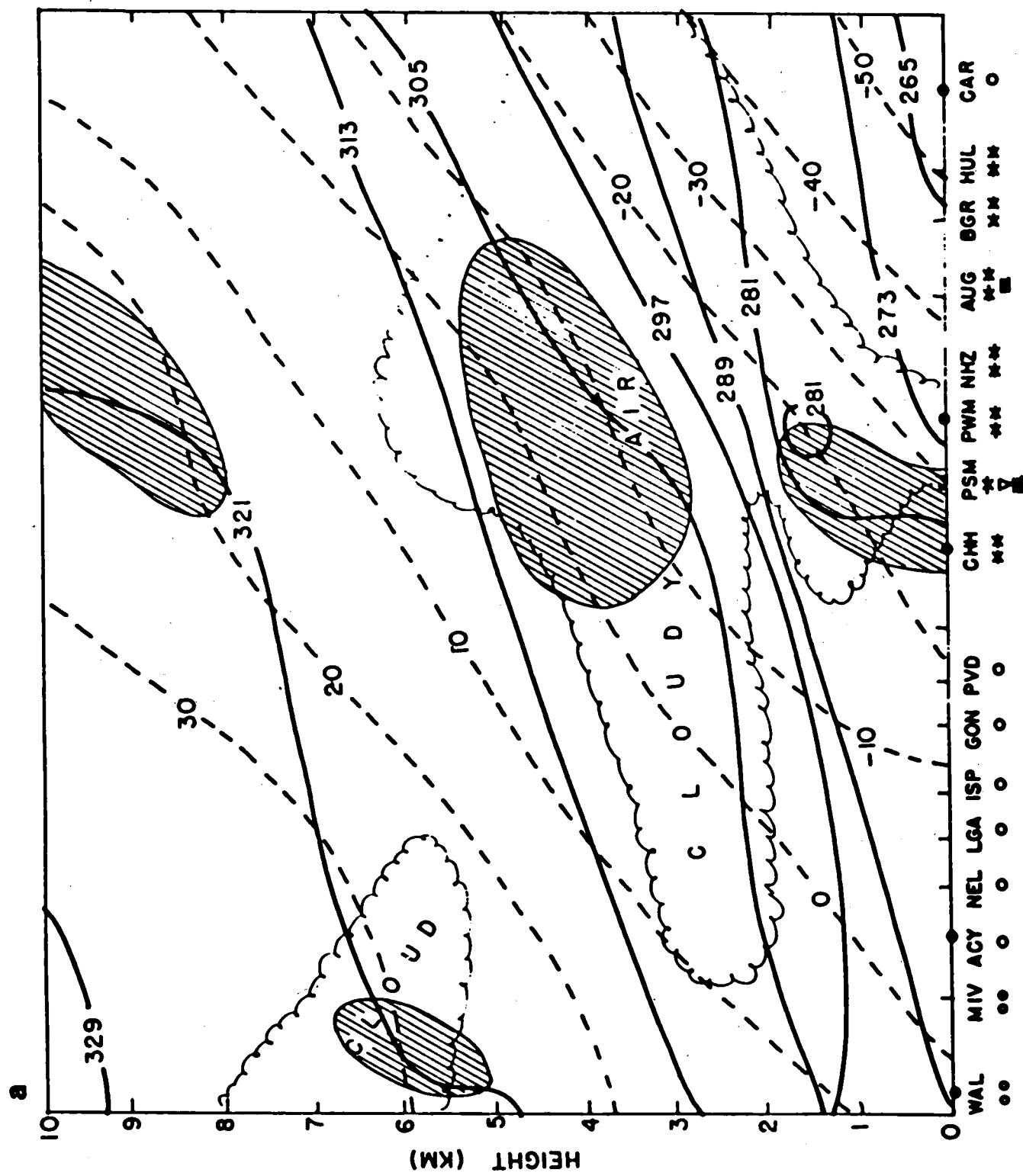
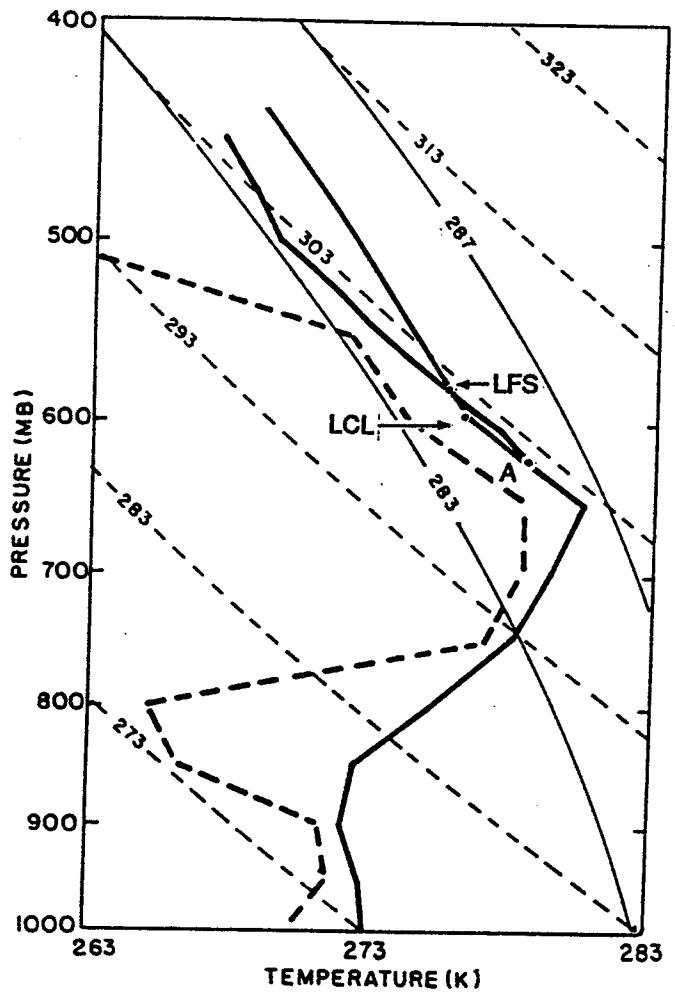


FIG. 10. Vertical cross sections of  $\theta_e$  in K (solid lines) and  $M_2$  in  $m s^{-1}$  (dashed lines) at (a) 00 GMT and (b) 12 GMT. Clouds are indicated with scalloped lines and regions of possible conditional symmetric instability are shaded. Upper air stations are indicated on the abscissa with large dots. Weather observed at surface stations is indicated below the axis ( $\bullet\bullet$  = light snow,  $\circ\circ$  = light rain,  $\nabla$  = showers,  $\blacksquare$  = fog,  $\bullet$  = skies overcast,  $O$  = skies broken and  $\infty$  = haze).

from  
Wolfsberg et al.  
(1989)



Sounding along  $m_g = -10 \text{ m s}^{-1}$  sfc  
at  $\phi = 12/11/82$



3.97

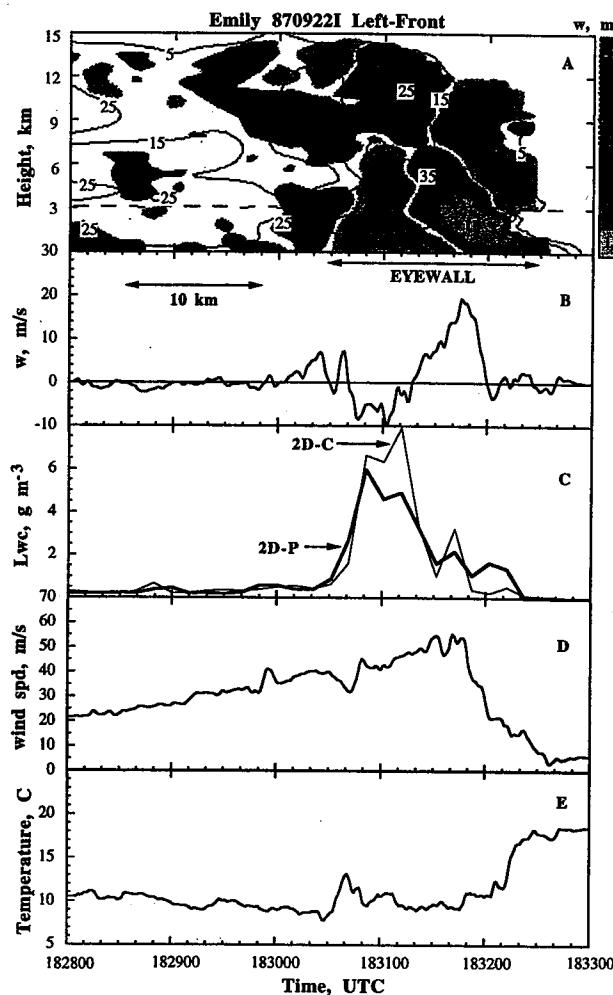


FIG. 4. Vertical cross section of (a) Doppler-derived vertical velocity and reflectivity (a as in Fig. 2), (b) plus flight-level vertical velocity, (c) precipitation water content, (d) horizontal wind speed, and (e) temperature for Doppler pass 9 in the left-front quadrant. The position of the Doppler aircraft is shown in (a) as the dashed line at approximately 3-km altitude.

strong downdrafts. The radially outward sloping downdraft contained moderate precipitation (Fig. 4c), whereas the inner downdraft (which was mostly above flight level) was barely represented in the flight-level vertical winds (Fig. 4b). The Doppler-derived vertical winds and the flight-level vertical winds match up well. A temperature increase (Fig. 4e) consistent with compressional warming marked the aircraft's entry into the broad outer downdraft. Downdraft zones that are wider near the surface (as in Fig. 4a) are not common in the hurricane eyewall. This may indicate that the downdraft air is diverging at the surface. The horizontal wind speed (Fig. 4d, at 1830:40) in the downdraft decreased slightly at the same time that a small relative maximum in temperature (Fig. 4e) occurred. We believe this decrease in wind speed was a result of vertical mixing

with air having lower horizontal momentum above flight level. The outward slope of the reflectivity contours between the surface and 15 km in this portion of the eyewall is about 35° from the vertical, which is in accord with other observations (Jorgensen 1984b; Marks et al. 1992).

Another example of a strong downdraft in the left-front quadrant is shown for a radial pass in approximately the same portion of the eyewall as in Fig. 4 but for 2 h later (Fig. 5). This time the downdraft at 2032:30 was 9 km deep and had a maximum flight-level speed of approximately  $-8 \text{ m s}^{-1}$ . The Doppler-derived vertical velocity field indicated that the strongest part of this downdraft was near 5 km. The 3-km flight-level data (Figs. 5b–e) showed that the highest precipitation liquid water content on both probes occurred near the RMW in the strong updraft, not in the downdraft as in Fig. 4. This updraft had the strongest vertical velocity observed at this level. A temperature

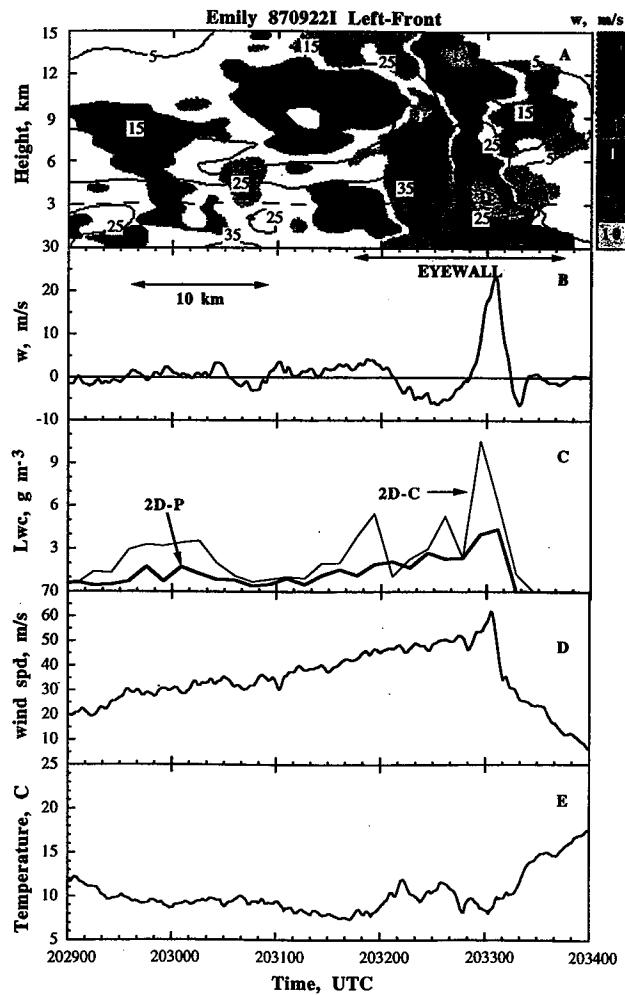


FIG. 5. As in Fig. 4 but for Doppler pass 13 in the left-front quadrant.

Bob Michael  
Block, Bluestone & Block MWR Dec. 1994

$$\frac{du}{dt} = \frac{v^2}{r} + fv - \frac{1}{\rho} \frac{dp}{dr}$$

$$\frac{dv}{dt} = -\frac{uv}{r} - fv$$

$$\frac{dw}{dt} = g \left( \frac{\theta'_e - \theta_e}{\theta_e} \right)$$

$$M = r(v + \frac{fr}{2}) \rightarrow \frac{dM}{dt} = 0$$

$$\frac{du}{dt} = \frac{(M - M_{gr})(M + M_{gr})}{r^3} \quad \text{in radial-wind balance}$$

$$\frac{dM}{dr} > 0 \text{ inertial stability}$$

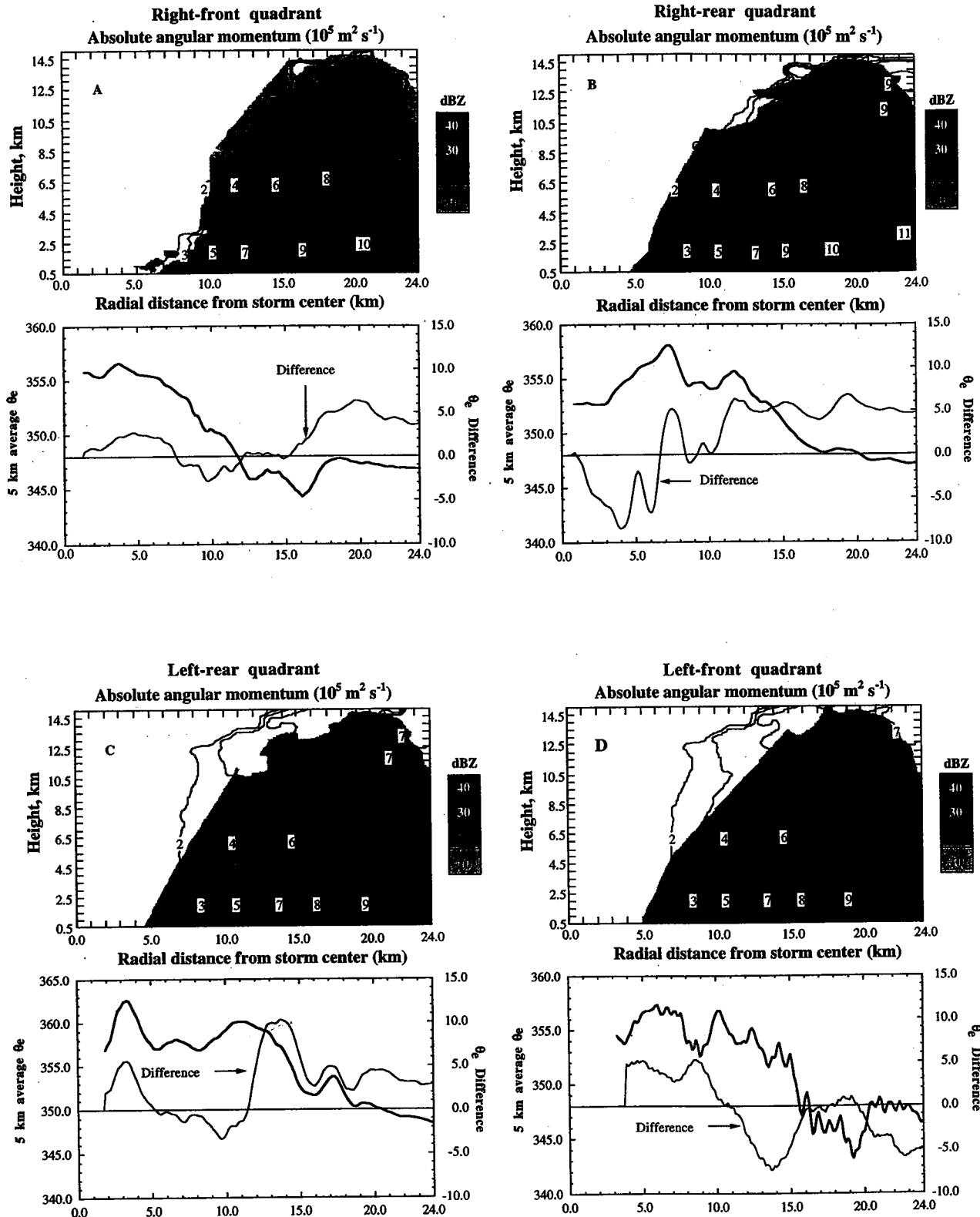


FIG. 17. Vertical cross sections of  $M$  ( $10^5 \text{ m}^2 \text{ s}^{-1}$ ) in Hurricane Emily in the following quadrants: (a) right front, (b) right rear, (c) left rear, and (d) left front. Composites are valid for 1538–1744 UTC 22 September 1987. Average radar reflectivity in the range 10–40 dBZ is superimposed on the  $M$  plot. The mean quadrant  $\theta_e$  from the H aircraft, and the  $\theta_e$  difference H – I (i.e., the difference between  $\theta_e$  at the higher level and  $\theta_e$  at the lower level) are plotted. These data have been smoothed with a nine-point Gaussian filter for clarity.

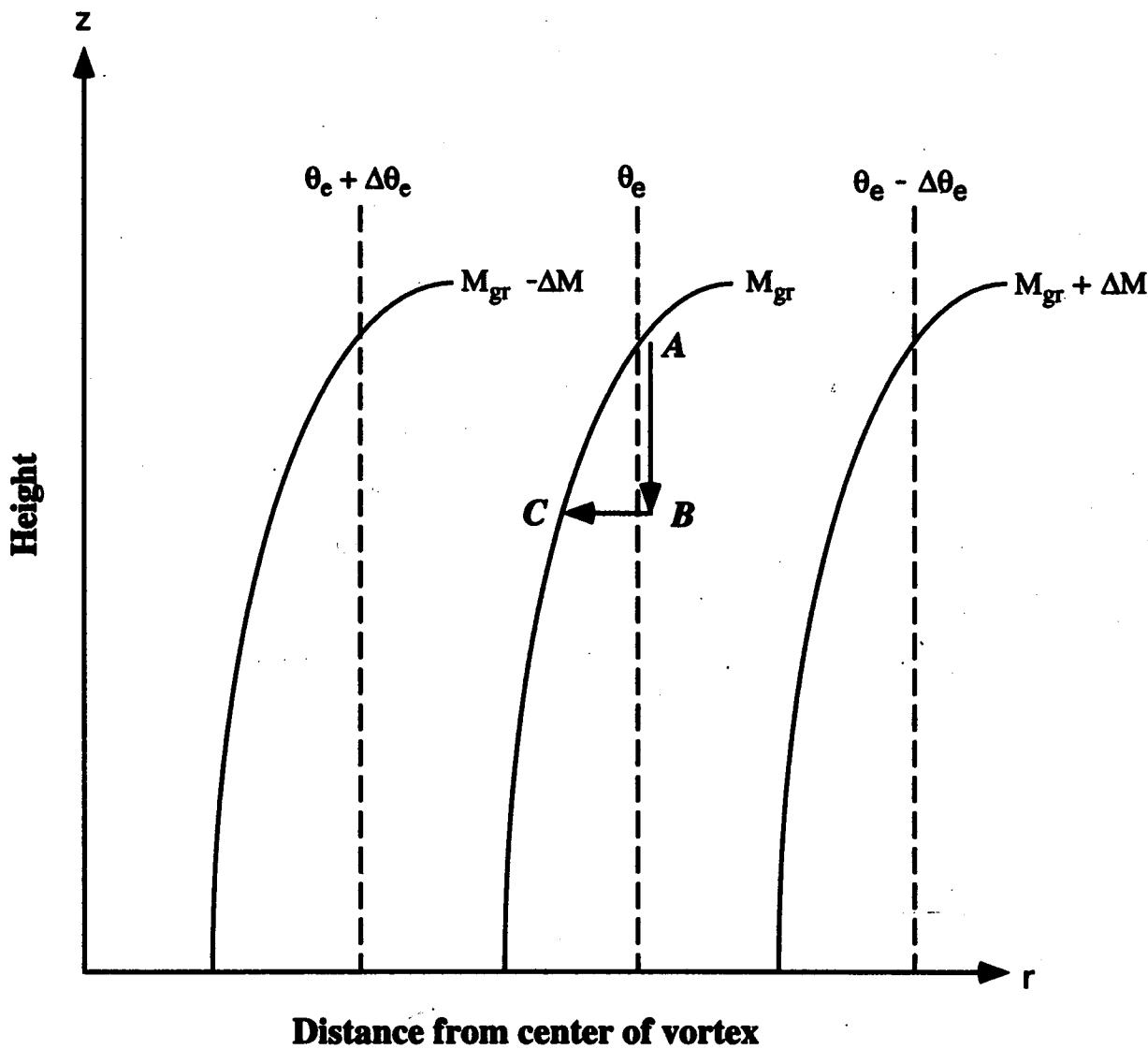


FIG. 16. Idealized vertical cross section of absolute angular momentum  $M$  (solid contours) and equivalent potential temperature  $\theta_e$  (dashed contours) in the eyewall of a hurricane, above the boundary layer and below the tropopause. Here  $M_{gr}$  denotes the  $M$  of a vortex in gradient wind balance.

the storm-relative mean azimuthal wind component was determined. There are some regions aloft that appear to be inertially unstable ( $\partial M / \partial r < 0$ ). However the

58 mag 0243 UTC 31 Aug 2005

75 040

83 008

58 742

75 040

0543 UTC 31 Aug 2005

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0843 UTC 31 Aug 2005

42 "DOT 15

10 of 10

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152

2

1

1243 UTC 31 Aug 2005  
41°00'

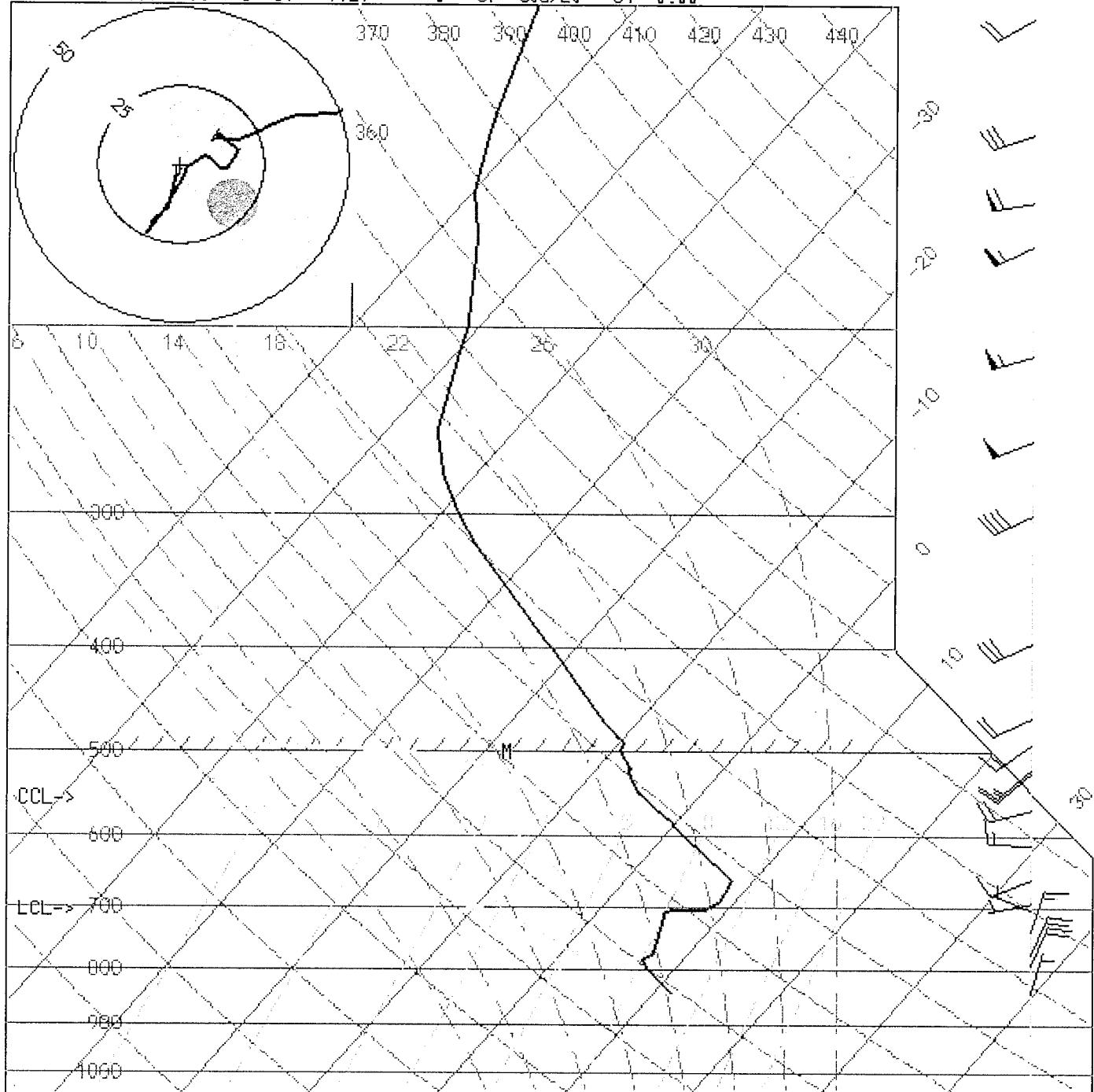
41 "BOT

L-55 117

45 MB

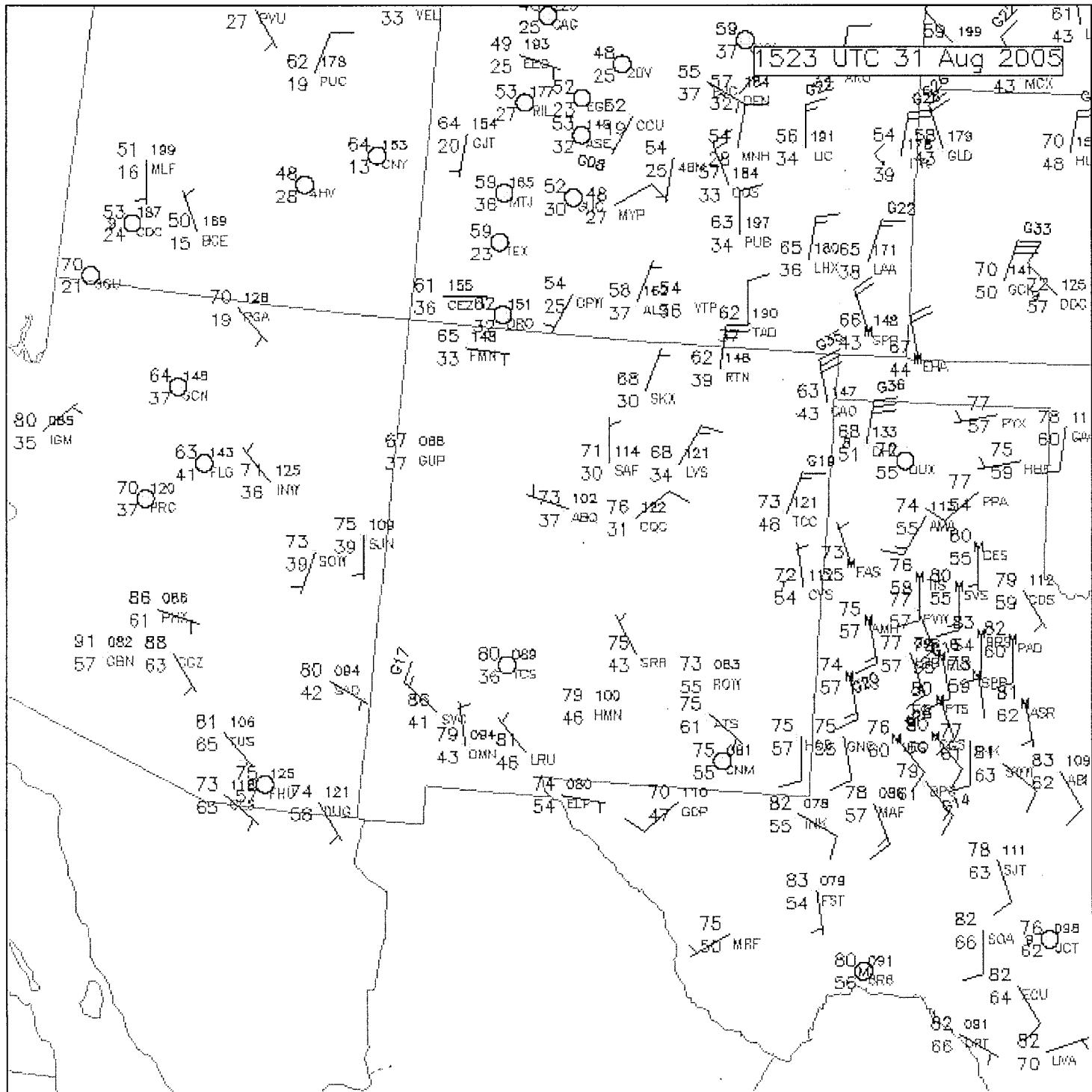
52. 102

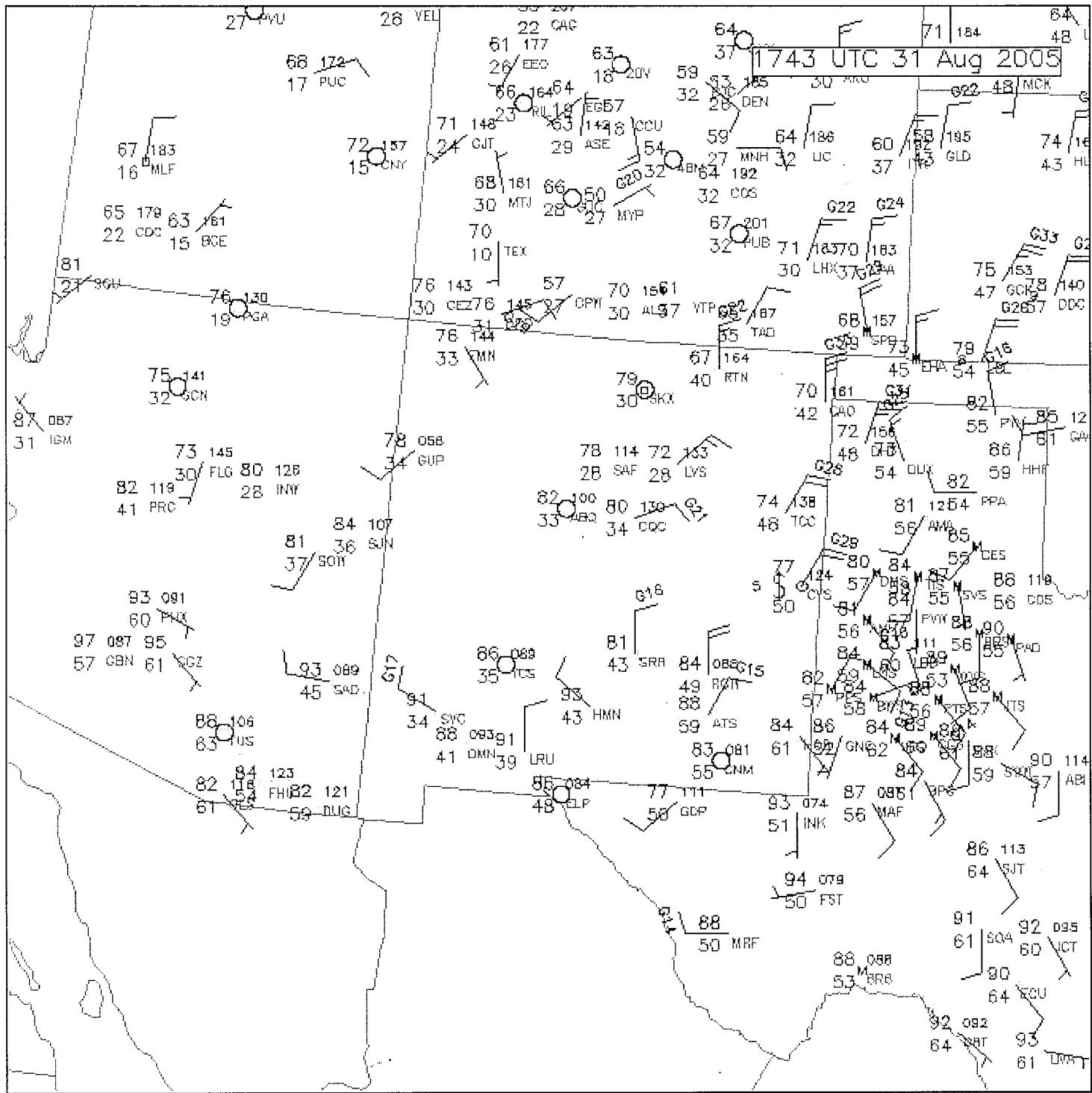
T(F)	Td	LI	SNT	K	TT	Prlcm)	CAPE	Tc	CELL	SREH	VGP
53	38	9.0	70	3	31	1.29	0	87	308/20	64	0.00



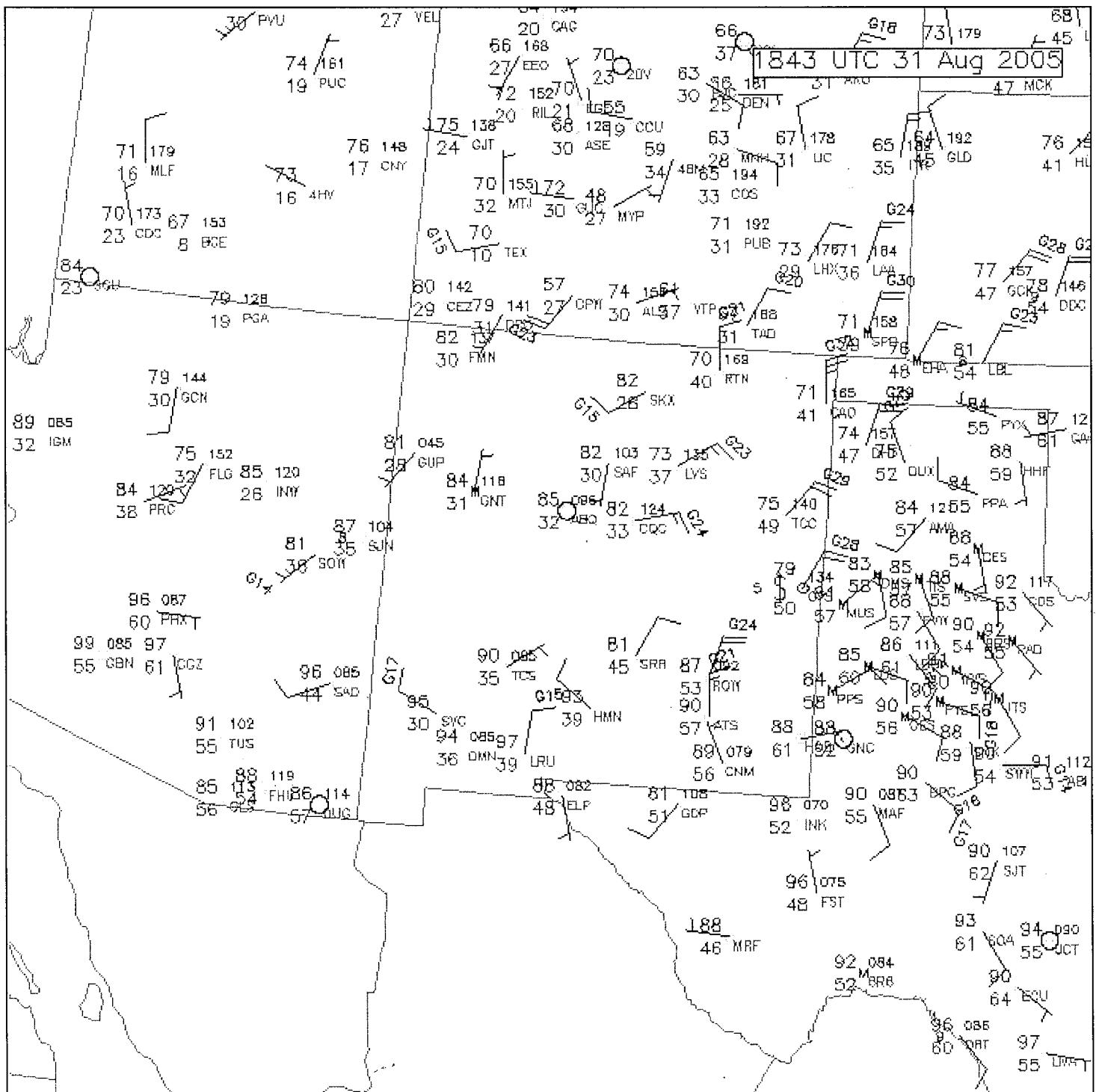
SKEW-T/LOG-P VALID 1200 UTC 08/31/2005 KDNR

Lat = 39.75 , Lon = -104.87

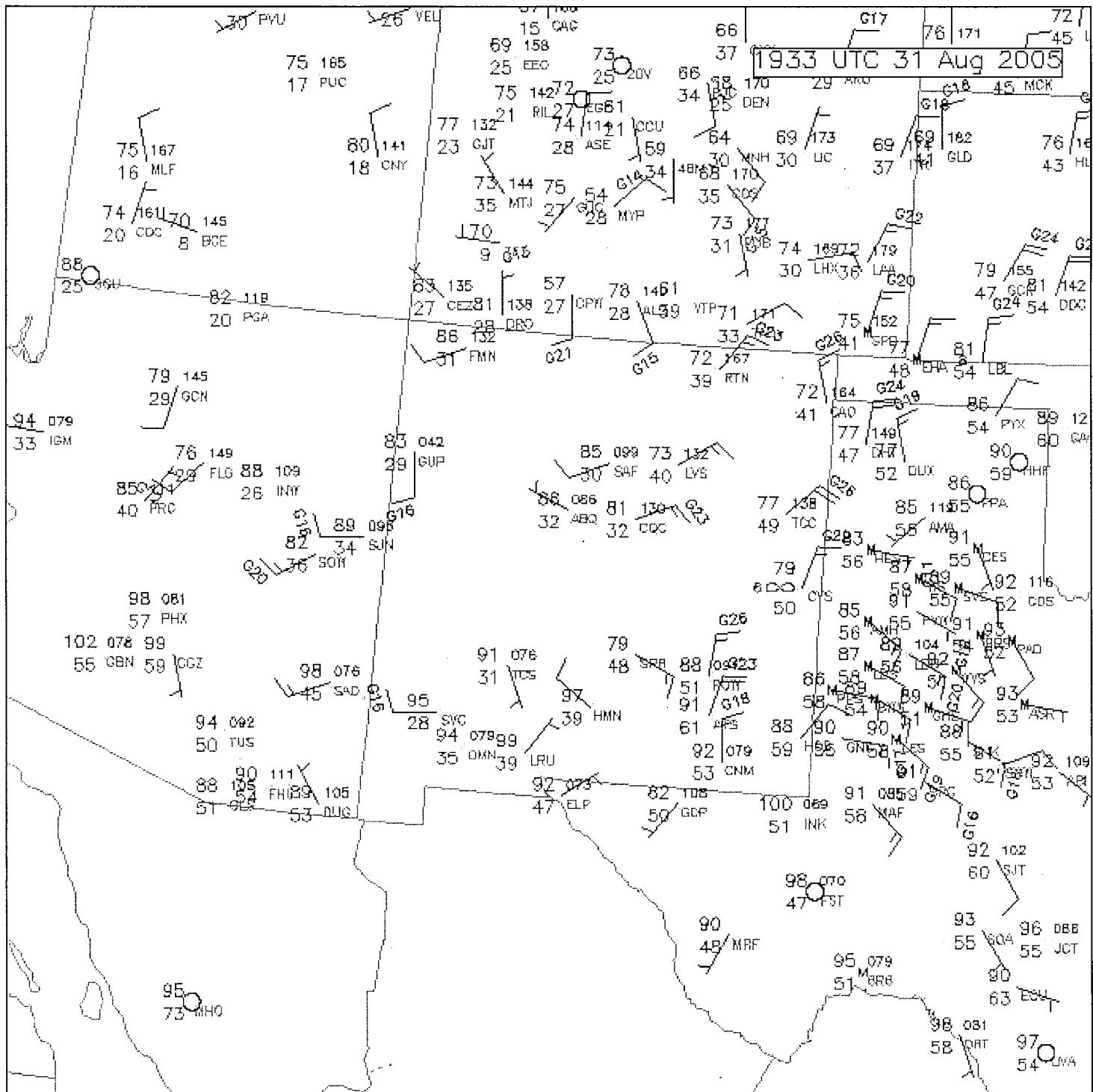




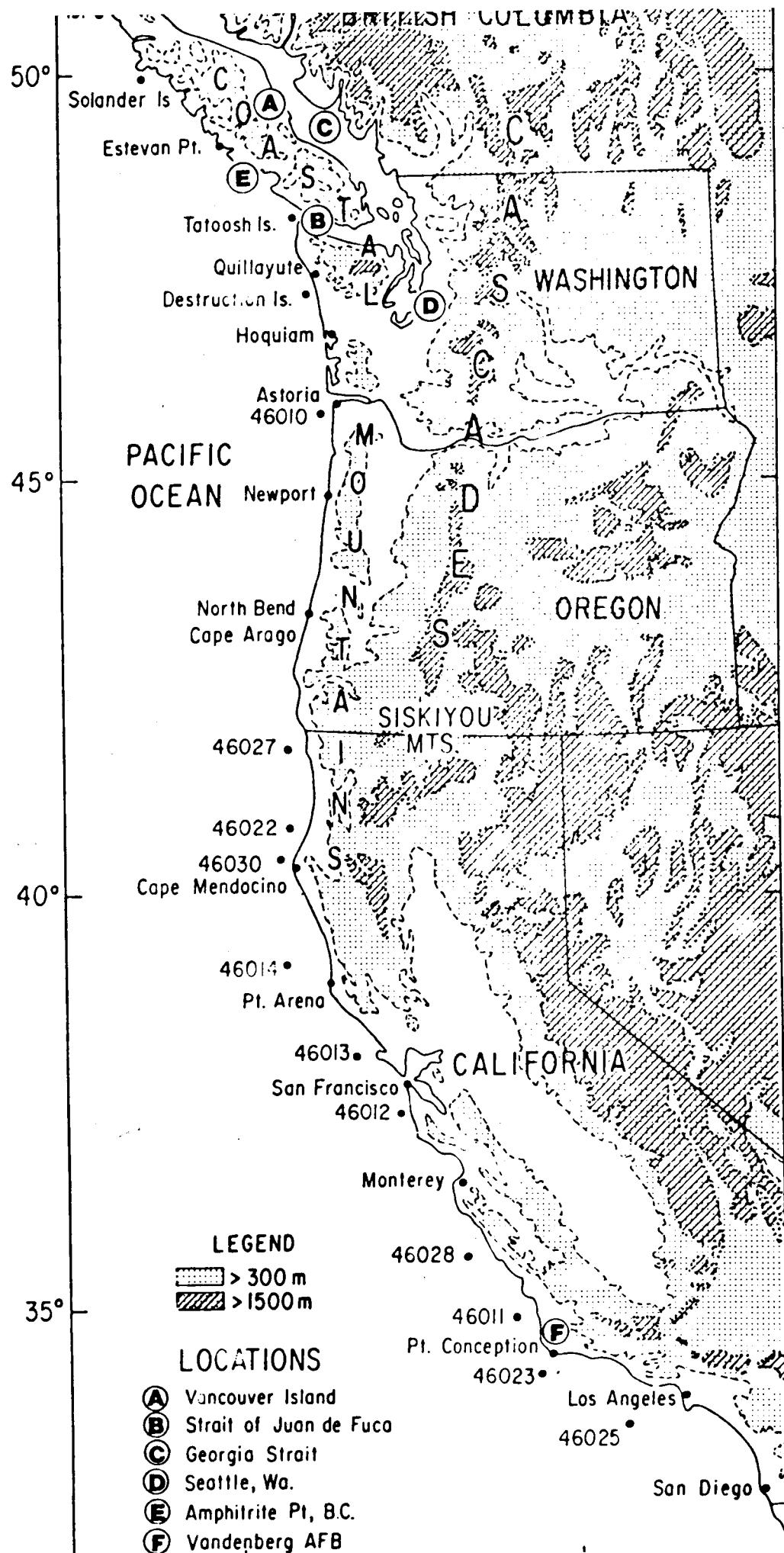
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ASTORIA, OREGON

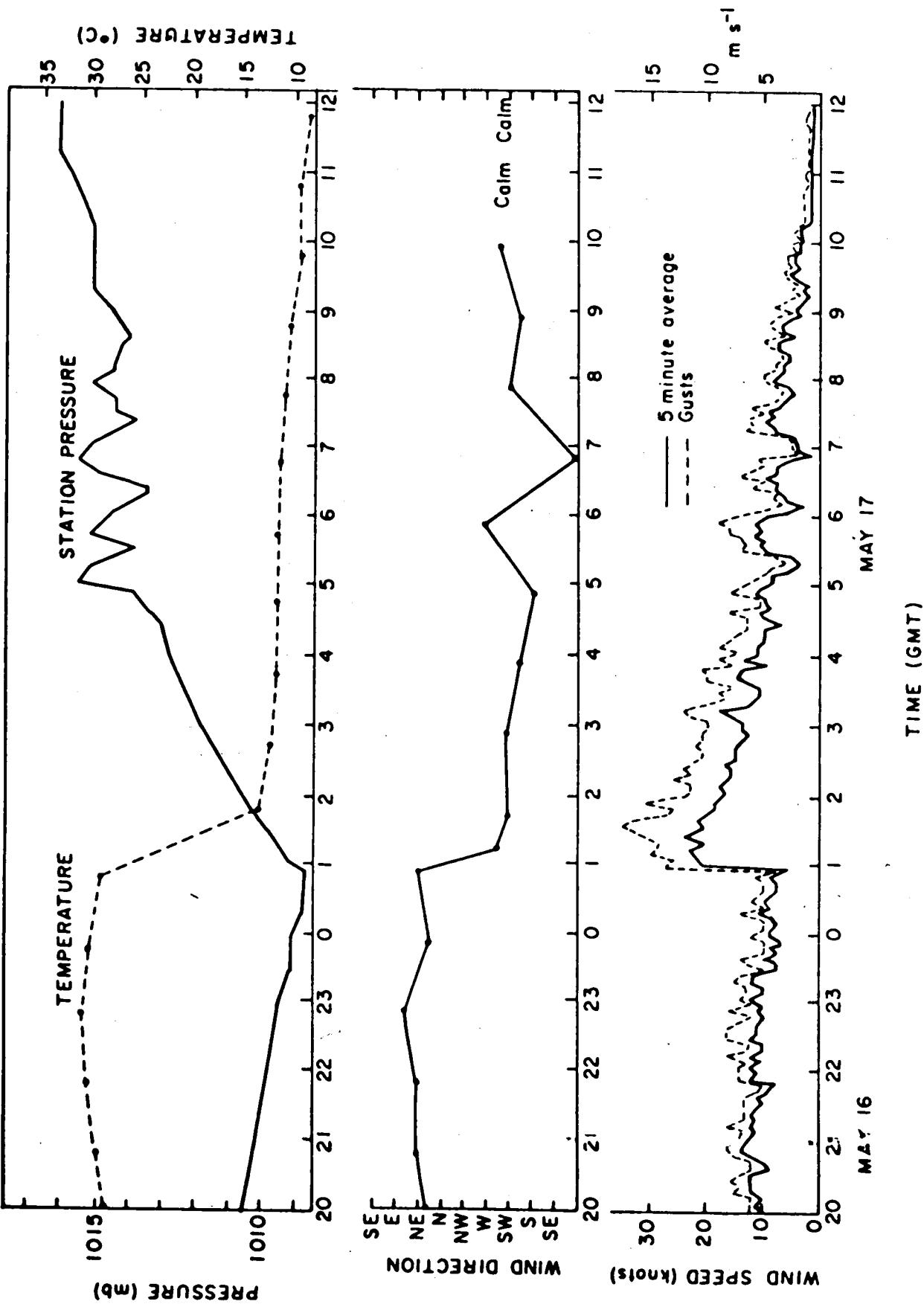


FIG. 2. Temperature, station pressure and winds at Astoria, Oregon from 20 UTC 16 May through 12 UTC 17 May 1985. Temperature and wind direction are based on hourly observations; station pressure and wind speed are from continuous recorders.

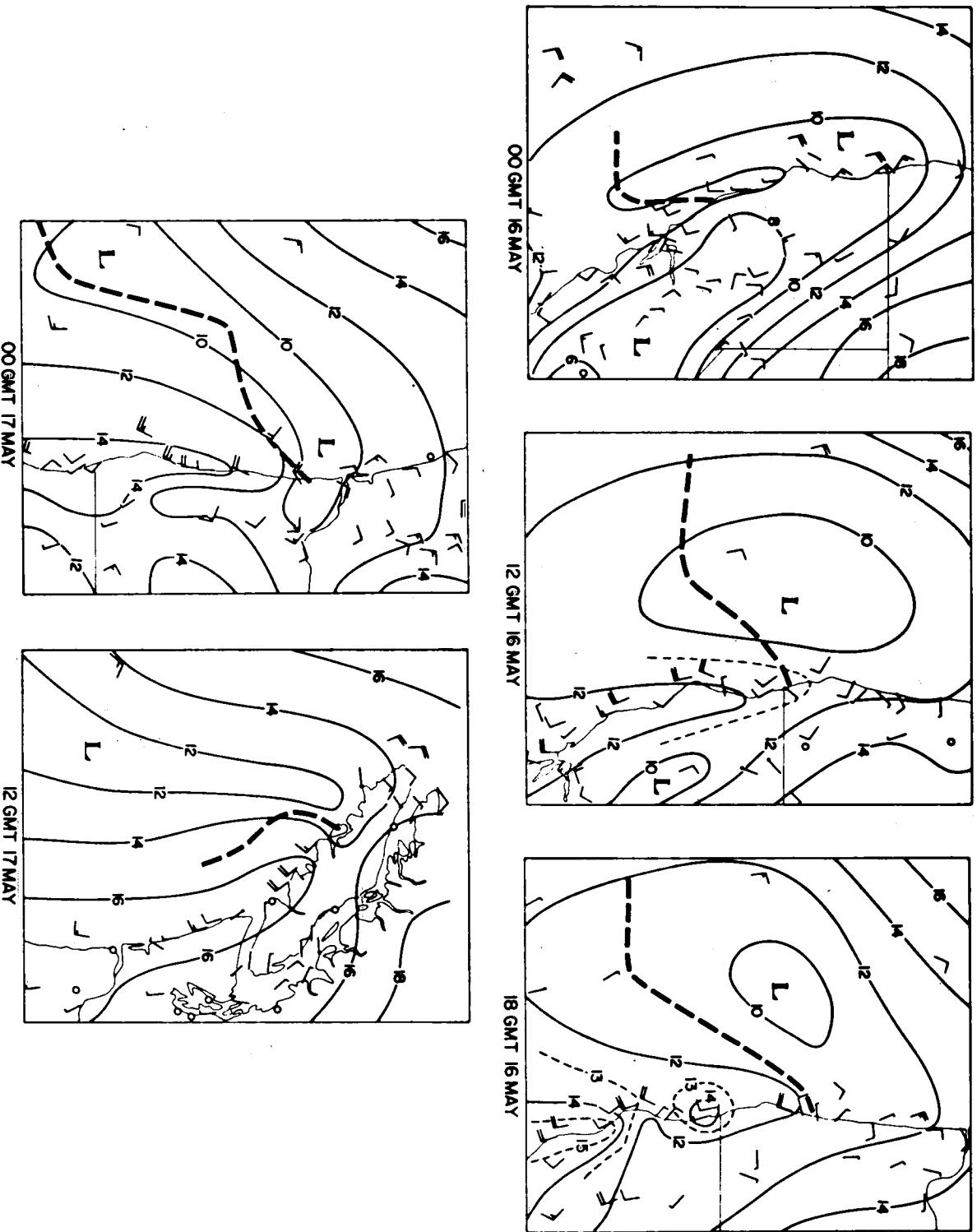


FIG. 10. Mesoscale sea level pressure analyses and surface winds in the immediate area surrounding the coastal surge for 12 UTC 15 May through 18 UTC 17 May 1985.

N  
↑

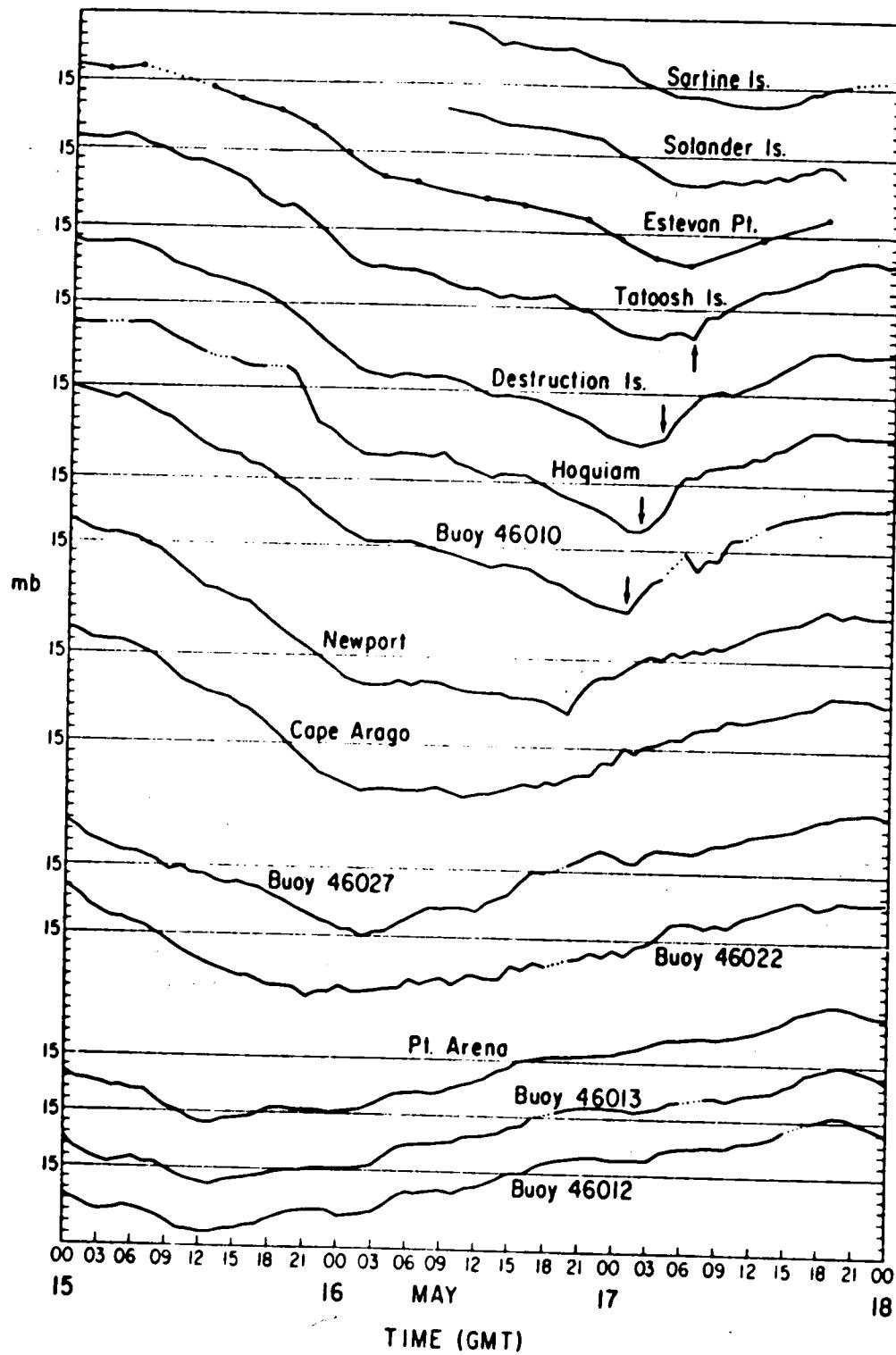


FIG. 12. Evolution of sea level pressure for a collection of coastal stations from central California to British Columbia for 00 UTC 15 May through 00 UTC 18 May based on hourly observations. Large solid dots indicate three hourly observations while dotted lines indicate periods in which an observation is missing. The vertical arrows indicate times of surge passage. Each pressure plot is relative to one of the horizontal 1015 mb lines. The tick marks indicate 1 mb intervals. The spacing of the traces is proportional to the distance along the coast between the observing sites.

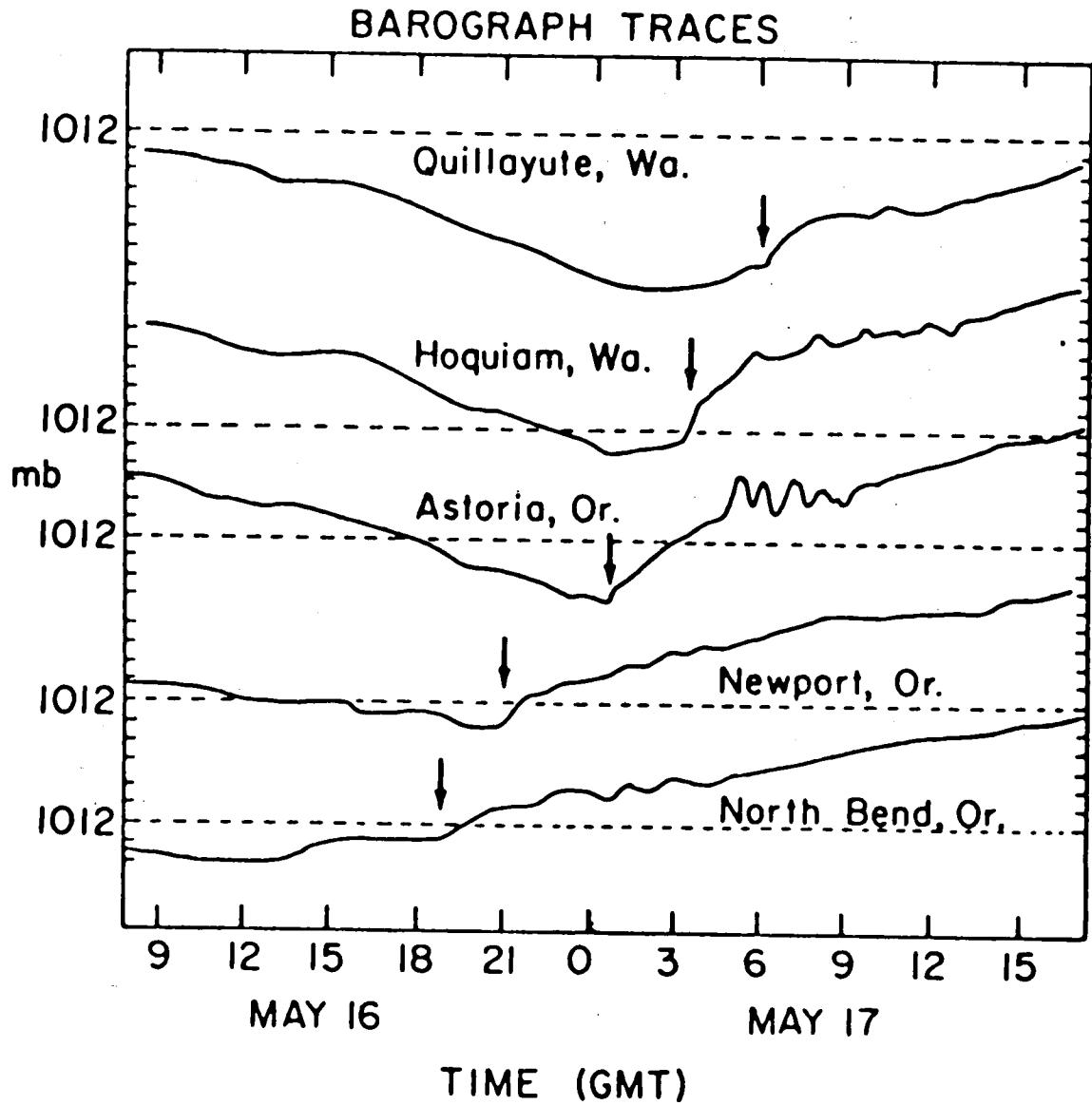


FIG. 13. Microbarograph traces at North Bend, Newport, and Astoria, OR, and Hoquiam and Quillayute, WA from 08 UTC 16 May through 18 UTC 17 May 1985. The vertical arrows indicate times of surge passage. The dashed horizontal axes represent 1012 mb and the tick marks indicate 1 mb intervals.

N  
↑

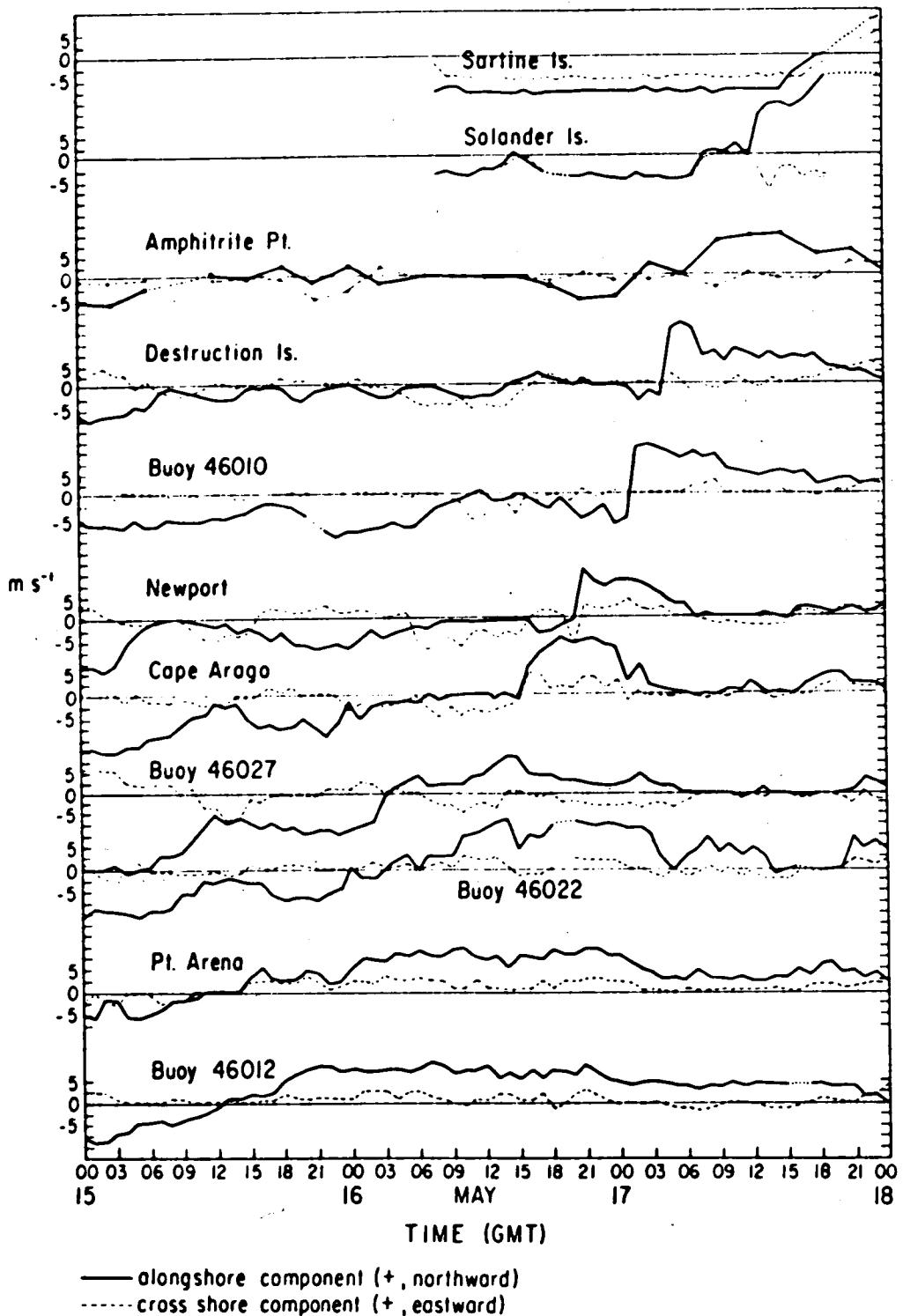


FIG. 15. Time evolution based on hourly observations of the alongshore and cross shore surface wind components for a series of coastal stations. Solid dots indicate three hourly observations and dotted lines indicate missing data. Tick marks represent 5 kt ( $2.5 \text{ m s}^{-1}$ ) intervals. The station spacing is approximately proportional to the distance along the coast.

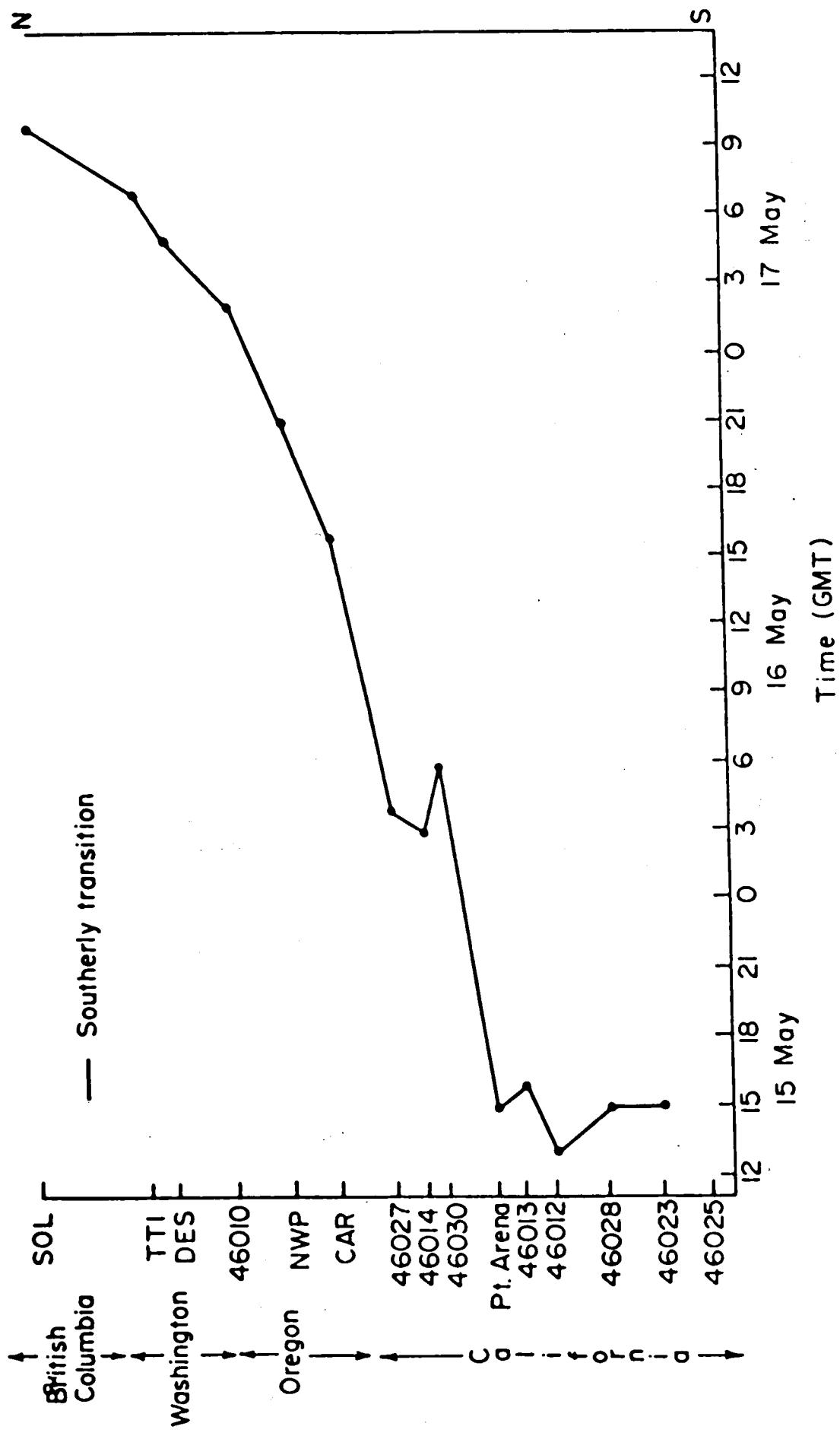


FIG. 16. Positions of the southerly transitions as a function of time.

### SAN DIEGO

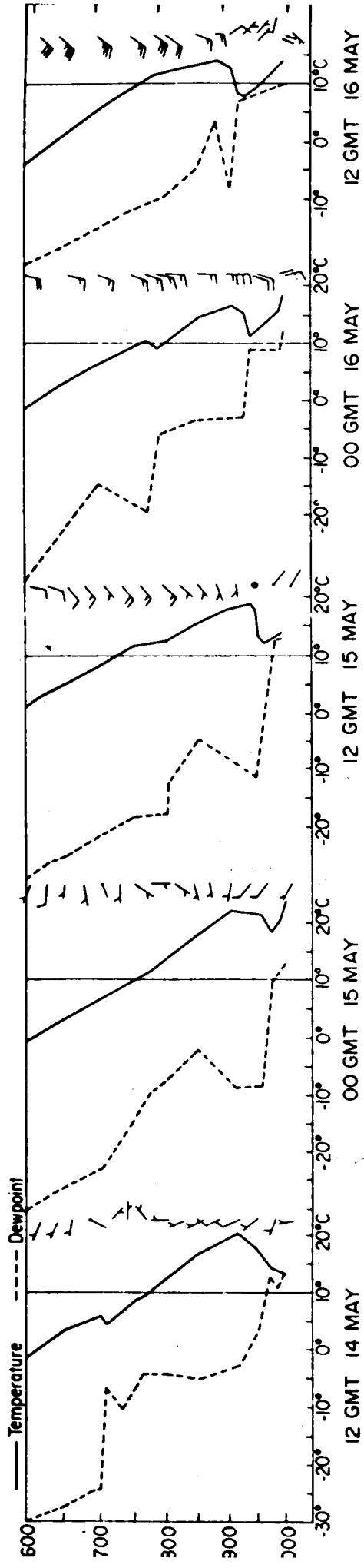


FIG. 18. Vertical soundings at San Diego, California from 12 UTC 14 May through 12 UTC 16 May 1985. Winds (knots) are plotted to the right of the corresponding temperature sounding.

### OAKLAND

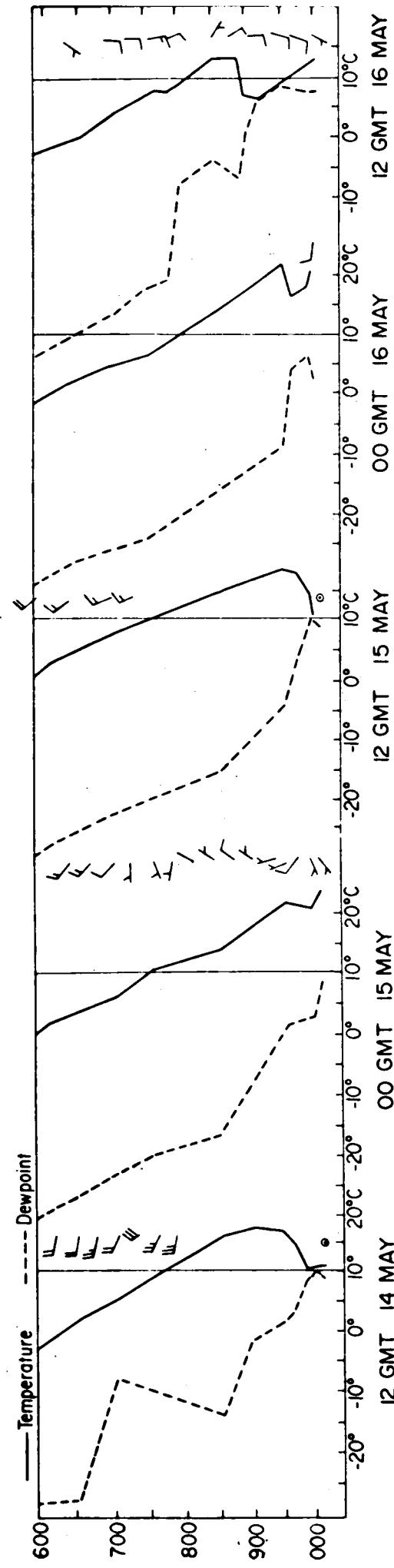


FIG. 19. Vertical soundings at Oakland, CA from 12 UTC 14 May through 12 UTC 16 May 1985.

QUILLAYUTE, WASHINGTON

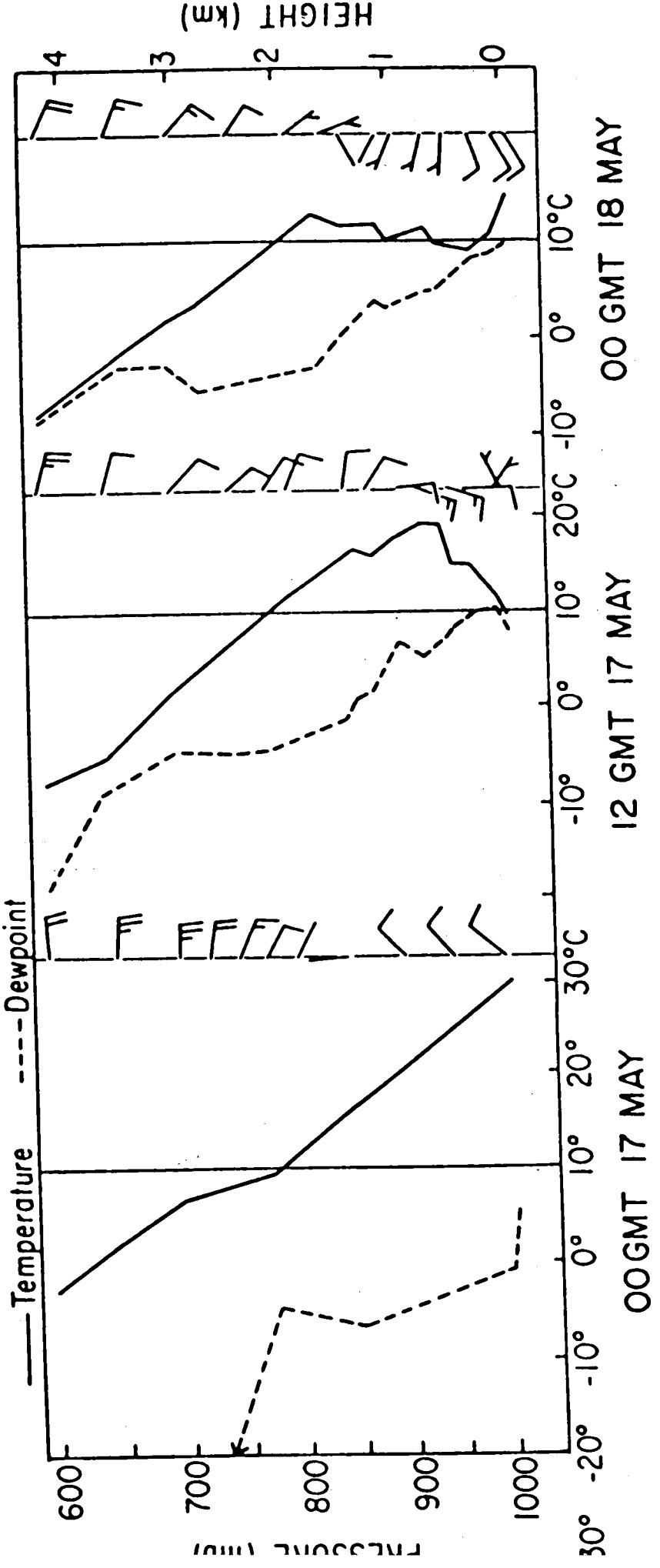


FIG. 21. Vertical soundings at Quillayute, WA before (00 UTC 17 May) and after (12 UTC 17 May, 00 UTC 18 May) the passage of the alongshore surge at that location. Winds are plotted to the right of the appropriate temperature sounding.